

## Electronics II.

### 3. measurement : Tuned circuits

This laboratory session involves circuits which contain a „double-T” (or TT), a passive RC circuit:

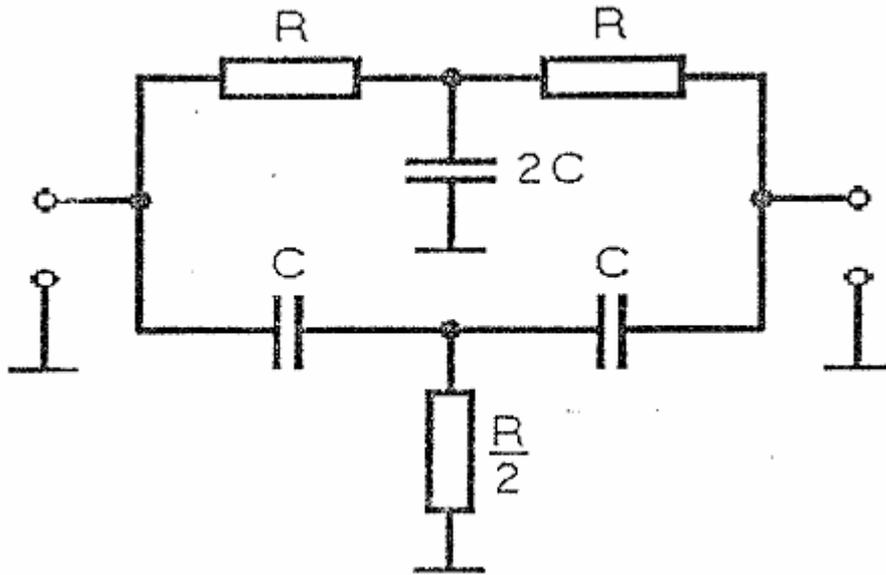


Figure 1. Double T passive RC circuit module

The upper branch constitutes a low-pass filter, the lower branch a high-pass filter. Choosing symmetric values for resistors and capacitors (as in figure 1.), on the resonance frequency  $f_0$ , the two branches provide output voltages of same magnitude, but opposing phase; thus ideally the attenuation on this frequency would be infinite. The resonance frequency is

$$f_0 = \frac{1}{2\pi RC}$$

This four-pole acts like a band-stop filter (figure 2.) Its quality factor  $Q$  can be calculated, using notation of figure 2., as:

$$\Delta f = |f_1 - f_2|$$

$$Q = \frac{f_0}{\Delta f}$$

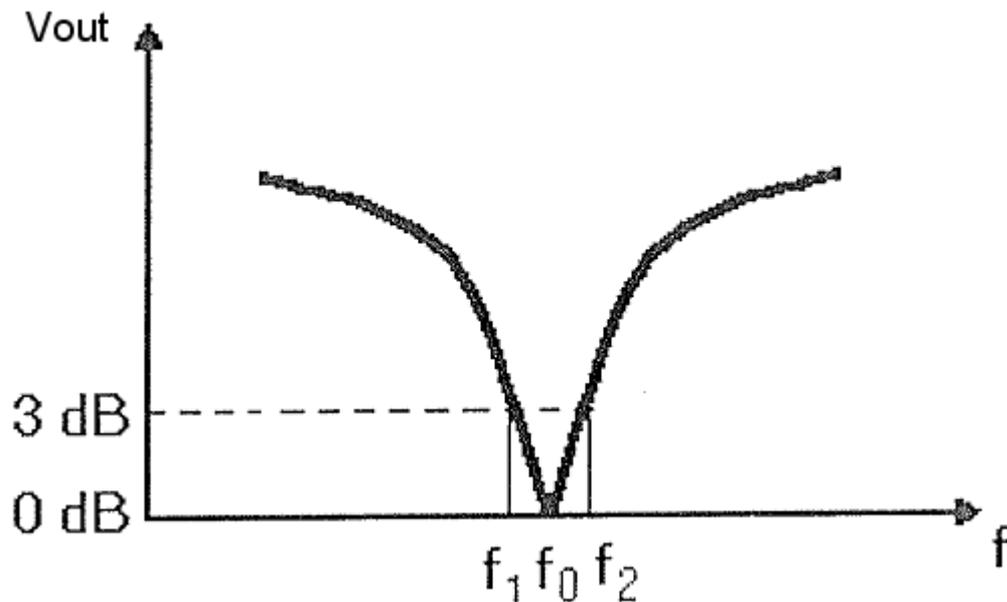


Figure 2. : band-stop filter transfer function

The attenuation at  $f_0$  is greater if the R and C components are more exact in value and have smaller temperature coefficients.

### 1.1 Measurement of the double-T circuit

The double-T circuit is ready in a printed circuit board. Its parameters are:

$R=20k\Omega$ ,  $C=10nF$

The resistors' tolerance is 5%, the capacitors' is 10%.

Measurement exercises:

a) Calculate the  $f_0$  resonance (band-stop) frequency using the provided formula and values.

b) Use the function generator to provide a 10 Vpp sinewave to the input of the double T. Measure the transfer function ( $V_{out}$  vs frequency) between 20Hz and 20kHz. Use more detailed sampling in places where the function changes rapidly. Find values of  $f_0$ ,  $f_1$  and  $f_2$  (as in figure 2). Use an oscilloscope or multimeter (in AC setting).

Note: because the circuit elements (R,C) have a tolerance, that is, they are not equal, the circuit will not be ideal, there will be a low amount of output voltage at frequency  $f_0$ . This is a small voltage, with added noise. Take its averaged value to be 0dB and use it as reference for the 3dB points.

c) Measure the phase shifting at  $f_0$  frequency using an oscilloscope.

Note: The output voltage will be small, with added noise; storage mode of the oscilloscope (RUN/STOP) is strongly advised.

d) Calculate the quality factor Q according the given formula and the measured frequencies. Measure the attenuation of the circuit ( $V_{in}/V_{out}$ ) at 20Hz and at 20kHz as well.

## 1.2 Active band-stop filter

Using an operational amplifier and external resistors, build the circuit of figure 3.

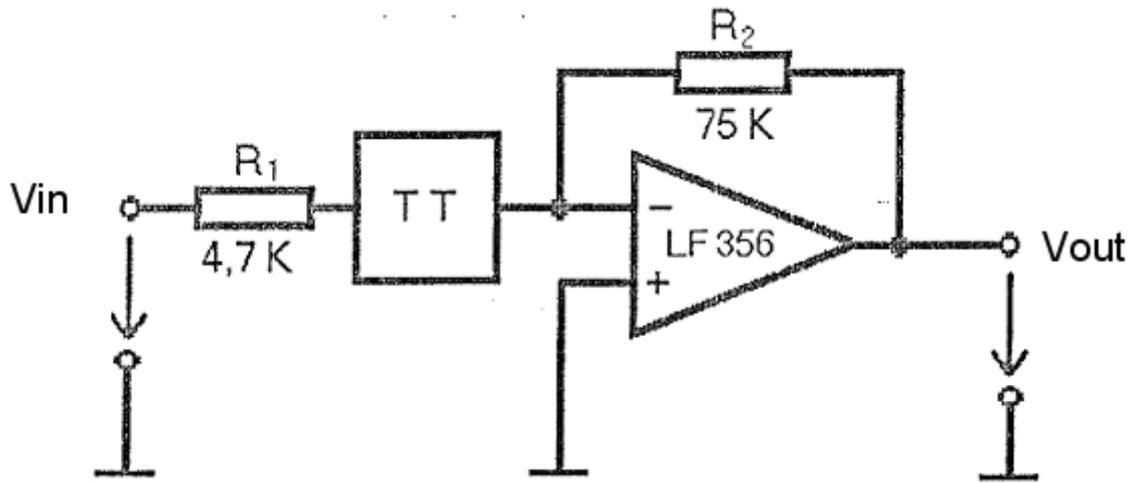


Figure 3. Active band-stop filter circuit

The opamp needs  $\pm 15\text{V}$  (double power supply). This circuit is basically an inverting opamp circuit, with the double-T in place of the input impedance. The resistor  $R_1$  is there to provide a load for the function generator on frequencies where the double-T's impedance is low.

The inverting amplifier's gain is

$$A_v = \frac{R_2}{Z_1}$$

$Z_1$  is maximum at  $f_0$ , thus the circuit's transfer function behaves as in figure 2.

Measurement exercises:

Set up a 5kHz sinewave with an amplitude such that the output is not yet distorted.

a) Measure the transfer function between 20Hz and 5kHz. Measure  $f_0$  and  $Q$ .

b) Measure the attenuation at 20Hz and 5kHz.

### 1.3 Active band-pass filter

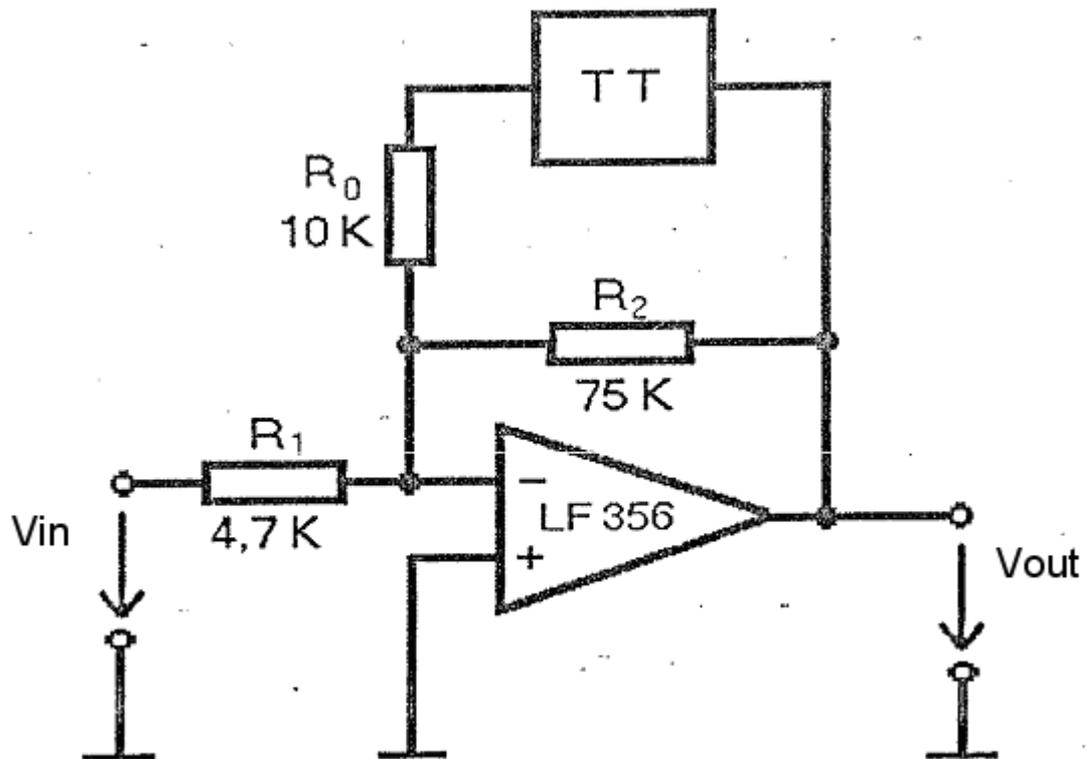


Figure 4. Active band-pass filter circuit

Change the circuit according to figure 4. Now the transfer function will be a mirror of the previous one.  $R_2$  is needed to avoid overdriving around  $f_0$ .

- Use 0,5Vpp input. Measure the transfer function between 20Hz and 5kHz.
- Measure  $f_0$  and  $Q$ .
- Measure the attenuation at 20Hz and 5kHz.
- Make a table and compare the  $f_0$ ,  $Q$  and attenuation values for the three measurements (double-T in itself, band-stop filter, band-pass filter). Evaluate the results.

## 1.4 Double T oscillator

We can make an oscillator by using the double-T as feedback to the opamp as seen in figure 5. Theoretically the oscillator only works if the R and C values are not ideal; this is automatically done by the nonzero tolerances. The oscillation frequency will be the same as the double-T's  $f_0$ .

We need amplitude limit to avoid overdriving, this is done by the diodes. The output voltage is determined by the diodes ( $U_{\text{zener}} + 0.6\text{V}$ )

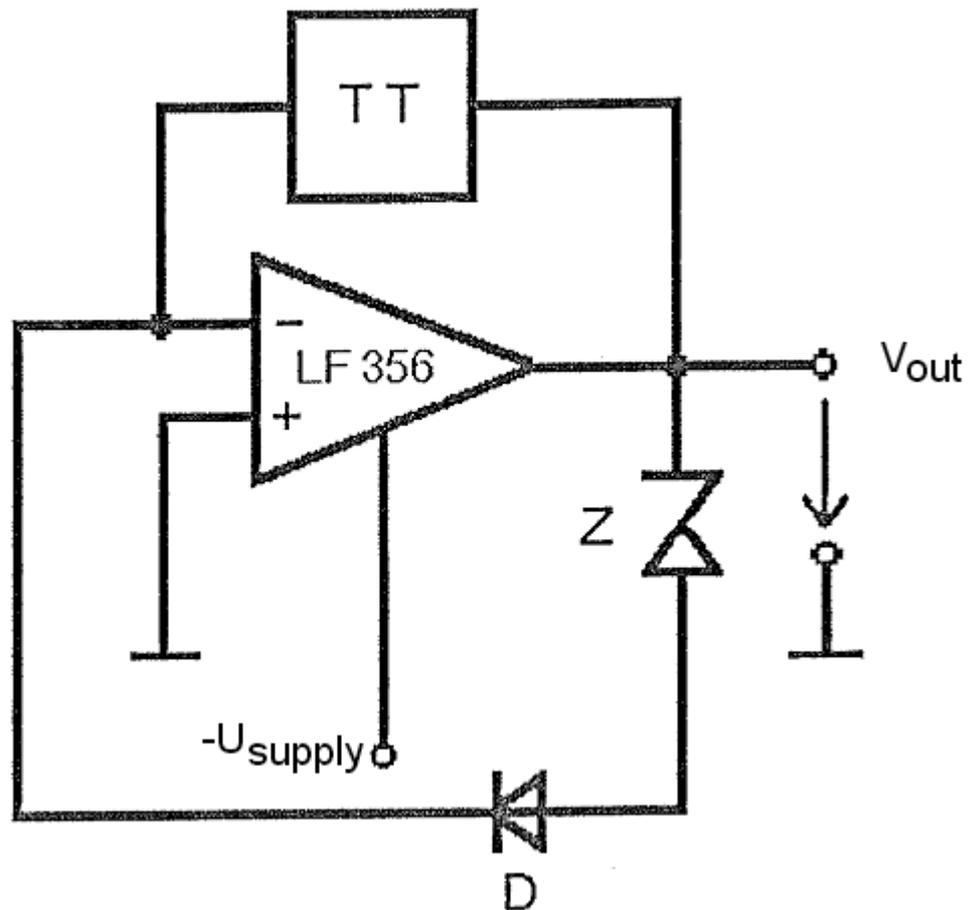


Figure 5. TT oscillator

Measurement exercises:

- First build the circuit without the diodes! Measure the period  $T$  and use it to calculate  $f_0$  and compare it with the calculated value. Measure the peak-to-peak output voltage and draw the waveform.
- Build the total circuit from figure 5. Measure the output voltage and waveform using different Zener-diodes (different breakdown voltage). Compare the output voltage with calculations.

## 2. Wien-bridge oscillator

The Wien-bridge oscillator is a well-known oscillator circuit using RC components. The criterion for oscillation is:

$$\frac{R_1}{R_1 + R_2} = \frac{1}{3}$$

The resonance frequency:

$$f_0 = \frac{1}{2\pi RC}$$

The circuit in figure 6. doesn't contain amplitude limit, thus the output voltage will be approximately the  $\pm$  voltage supply (and can be distorted). There are versions with amplitude limit, but in this laboratory session we will not measure them.

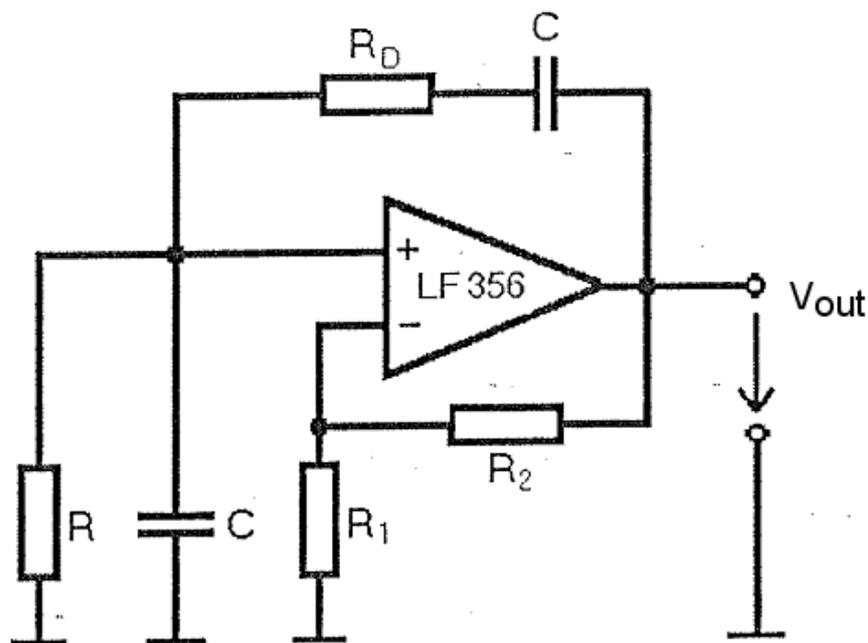


Figure 6.

Measurement exercises:

a) Build the circuit of figure 6.  $R_1=10k$ ,  $R_2=20k$ ,  $R=6.8k$ .  $C=22nF$ . Short circuit  $R_D$  for now ( $R_D=0$ ). Draw the output waveform.

b) Connect the decade resistor in place of  $R_D$ . Setup its value to 6.8k. While watching the output signal, start changing the  $R_D$  value until the output signal looks like a perfect sinewave (least distortion). Now the product  $RC$  is equal to  $R_D C$ .

Note: the decade resistor is provided by the teacher.

c) Measure  $f_0$ . Also calculate its value using the given formula, with substituting  $R_D$  instead of  $R$ . Measure the output voltage p-p.

d) Change both capacitors to 150nF. Measure  $f_0$  and output voltage.

